Architecture of a Comprehensive Theory

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$$e^{(i\theta_{\mathrm{mt}}-\lambda)}|\mathrm{Я}\rangle$$

hep-th/0205176

- Cosmology & astrophysics
 - Relation between General Relativity, 1-brane theory and cosmology
 - Cosmology is cyclic in Mass and Time (Big Bang and mini-inflation)
 astr-ph/0007100
 - The "physical singularity" in black holes (dark matter, rivers of gravity)
- Beyond Dirac

physics/9712042

- SU(3) as a noncommutative 3D matrix algebra (QC/ED)
- + SM geometric 1-brane states (oscillating neutrino, *natural* extra dimensions)

A more detailed presentation is at: http://dpf2002.velopers.net/talks_pdf/154talk.pdf

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$$e^{(i\theta_{\rm mt}-\lambda)}|\Pi\rangle$$
 \rightarrow string theory and general relativity

=
$$(\cos\theta_{\rm mt} + i\sin\theta_{\rm mt})e^{-\lambda}|\Re\rangle$$
 define R-S scale factor $\lambda = f(\Re)$

Fix θ_{mt} , cosmological (*imaginary**) time, to represent the present regroup and identify: *ref Steven Hawking's public lecture at the APS centennial

$$= (G_{\mu\nu} + iB_{\mu\nu})|\mathcal{A}\rangle$$

Yields an **explicit 1-brane** with mass and intrinsic curvature $= (G_{\mu\nu} + iB_{\mu\nu})|{\bf F}|{\bf F}|{$ see JHEP06(2000)044= hep-th/0005015

The sum of the mass & energy of all particles is **finite**, set it equal to 1

$$\sum_{t} e^{(i\theta_{mt}-\lambda)} |\mathbf{X}\rangle = 1 = (\cos\theta_{mt} + i\sin\theta_{mt})e^{-\lambda}, \ \theta_{mt} \text{ variable}$$

$$\leftarrow \text{By gravitational holography, quantum particle states}$$

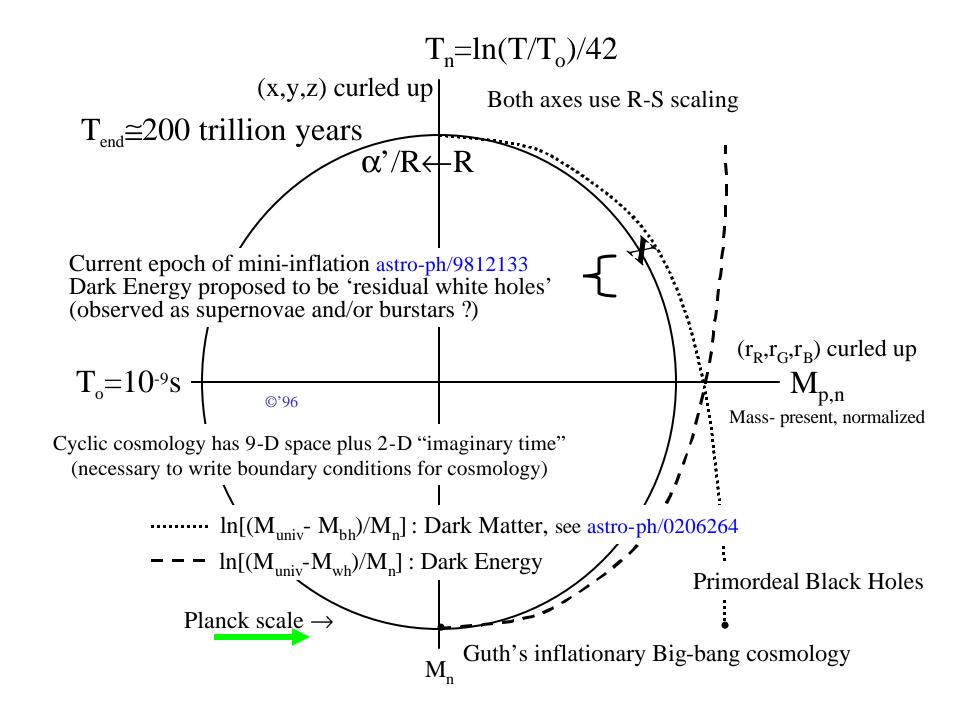
$$\text{don't cause the sum to diverge: } \frac{\text{PRL } 89(8)/081301}{\text{PRL } 89(8)/081301}$$

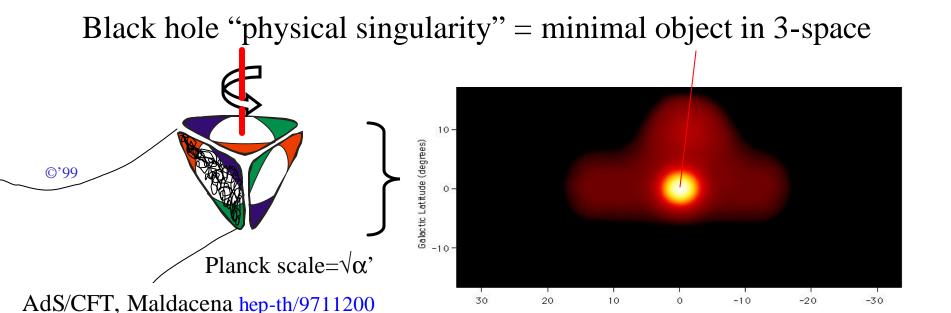
regroup and re-identify:

$$= \frac{G_{\mathbf{m}}^{C}}{\Lambda g_{\mathbf{m}}} + \frac{8\mathbf{p}}{\Lambda g_{\mathbf{m}}} T_{\mathbf{m}} = 1$$

 $= \frac{G_{mn}^{C}}{\Lambda g_{mn}} + \frac{8p}{\Lambda g_{mn}} T_{mn} = 1$ Yielding a formula for General Relativity which is variable over cosmological (*imaginary**) time-scales Can re-arrange to get the usual GP constitution. see PRL 87(14)/141302= astro-ph/0105317 and gr-qc/0012094

using Euler's rule yields a result identified as the observed cosmological formula: $\Omega_{\rm m} + \Omega_{\Lambda} = 1$





Bilateral asymmetry proposed as the origin of Galactic Annihilation Fountain astro-ph/9705070

ourtesy of D. D. Dixon (University of California, Riverside) and W. R. Purcell (Northwestern University)

Galactic Longitude (degrees)

S_{BH}=½Area Bekenstein-Hawking area-entropy law (hep-th/9601029) in agreement with Hayward, Mukohyama & Ashworth (gr-qc/9810006) 'entanglement entropy' when strings (1-branes) are densely entangled on a surface of the tetrahedral physical singularity.

The physical singularity is analogous to a Higg's boson by considering it as a 4-string interaction vertex, see Kaku (Phys Rev D 41, p3734, 1990)

...the end of a cosmic string or River of Gravity astro-ph/0206264, /0201058, /0206121, /0107493 Information *is preserved* since each particle is 'assembled' or 'spun' onto the cosmic string

$e^{(i\theta_{\rm mt}-\lambda)}|\mathfrak{A}\rangle \rightarrow \text{explicit 1-brane (nee string) theory}$

= $(\cos\theta_{\rm mt} + i\sin\theta_{\rm mt})e^{-\lambda}|\mathbf{y}\rangle = (\alpha'_{\mu\nu} + i\varsigma_{\mu\nu})e^{-\lambda}|\mathbf{y}\rangle$ defines the Planck-scale unit area (1-brane >Planck scale, Arkani-Hamad, Phys Today) and a unit of intrinsic curvature

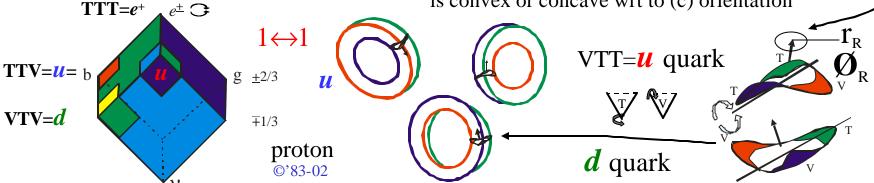
Combinatorial Geometry of the QC/ED 1-brane

Cube images were produced with consent of Seven Towns Ltd, solely for the author's use. The H-cube represents OC/ED only when colored as in a QCD color-charge diagram; & it's corner elements are confined to the original positions.

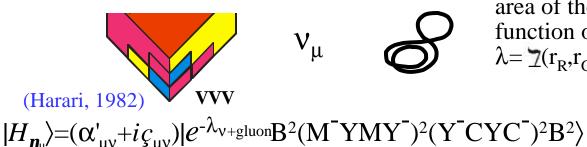
Normal matter has QCD fields RBG right-handed wrt the orientation/velocity vector (@c), \rightarrow T,V; RGB \rightarrow T,V

QCD color is identified by the orientation of intrinsic spin and curvature with respect to the RBG color fields

Charge is carried by T, sign is identified by whether the 1-brane is convex or concave wrt to (c) orientation



$$|H_{udu}\rangle = (\alpha'_{uv} + i \varsigma_{uv})|e^{-\lambda_3 \text{quarks}}[(G^{\text{CGC}})(C^{\text{YCY}})(Y^{\text{GYG}})]^2\rangle$$
 (Orientiworld, hep-th/0109054)





Mass is determined by the cross-sectional area of the 1-brane world sheet, a function of both α' and ς , with *scalar* $\lambda = 7(r_R, r_G, r_B, \cos \mathbf{Q}_R, \cos \mathbf{Q}_G, \cos \mathbf{Q}_B)$

(ref Quantum Gravity,

PRL (1990) V64 p127

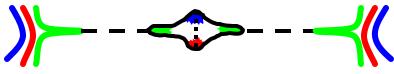
& PRL (2001) V87 181301)

$$\int \Psi_{\mathbf{a}}^{*}(r)\Psi_{\mathbf{b}}^{*}(r)d^{3}r = \sum \langle \mathbf{a} | r \rangle \langle r | \mathbf{b} \rangle$$

W[±], Z^o in accord with Dirac: only half-spin elementary fermions in nature http://www.aps.org/BAPSAPR98/abs/S1130005.html

(ref Shiff, Eqn 23.26')

 $=\Sigma\langle CR^{-}MG^{-}R^{2}|(YR^{-}Y^{-}R)^{2}\rangle\langle (RM^{-}R^{-}M)^{2}|R^{2}GM^{-}RC^{-}\rangle$



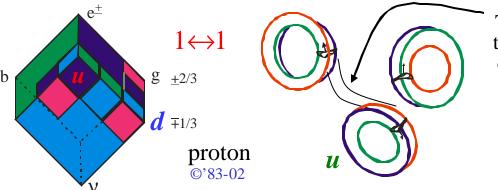
Geometry of the QC/ED 1-brane Combinatorial

QC/ED symmetry group SU(3)xSU(2)xU(1).

The combinatorial algebra and geometry of the gluons provides an explanation for the existence of three particle families?

Moving cube images can also be produced using Java Quark color is identified by *quantized* spin orientation; as a tool for communication of interactions in the gluon color exchange requires 'quantum precession'.

The second and third families of particles are thus constructed by quantum precession (bound gluon) on a single quark.



The geometry of the gluon, as a *long* thin strip, explains the partial success of the **Lund** open-string model (with thickness to model mass)

→Tripartite 1-brane photon



no area : no mass

$$|H_{uud}\rangle = (\alpha'_{\mu\nu} + i \zeta_{\mu\nu}) e^{-\lambda_{3quarks}} |...\rangle \left\{ G_{g \leftrightarrow b} = \langle \alpha | \Psi | \beta \rangle = \langle BR^{-} | e^{-\lambda_{gluon}} (CB^{-}C^{-}B)^{2} | RB^{-} \rangle \right\}$$

$$= (\alpha'_{uv} + i \zeta_{uv}) |e^{-\lambda_3 \text{quarks}-\lambda_{\text{gluon}}}|..\rangle$$

:. Necessary & Sufficient extra dimensions





Tripartite 1-brane construction of an oscillating neutrino, having naturally and consistently defined mass (hep-ex/9807003)

$$|H_{\mathbf{V}_{\tau}}\rangle = (\alpha'_{\mu\nu} + i\varsigma_{\mu\nu})e^{-\lambda_{\nu+\mu gluon}}|...\rangle\langle \mathbf{M}^2\mathbf{B}\mathbf{R}^{\mathsf{T}}|e^{-\lambda_{\tau gluon}}\mathbf{M}\mathbf{G}^{\mathsf{T}}\mathbf{C}^2\mathbf{G}\mathbf{M}^{\mathsf{T}}\mathbf{Y}^2|\mathbf{R}\mathbf{B}^{\mathsf{T}}\mathbf{M}^2\rangle = (\mathbf{G}^{\mathbf{V}_{\tau}}_{\mu\nu} + i\mathbf{B}^{\mathbf{V}_{\tau}}_{\mu\nu})|...\rangle$$